

Does Color Really Help in Dense Stereo Matching?

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Dense Stereo Matching



(Left Image)



(Right Image)



Dense Stereo Matching



(Left Image)



(Right Image)



(Disparity Map)



Dense Stereo Matching



(Disparity Map)



Why Should Color Help?





Why Should Color Help?



Conversion to grey-scale



Why Should Color Help?



Conversion to grey-scale



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Contradicting Statements in the Literature

- Several previous color evaluation studies:
 - In the context of local methods:
 - [Chambon, IJRA05], [Mühlmann, IJCV02], ...
 - In the context of global methods:
 - [Bleyer, ISPRS08]
 - In the context of radiometric insensitive match measures (local and global methods)
 - [Hirschmüller, PAMI09]





Contradicting Statements in the Literature

Several previous color evaluation studies:

Goal of our benchmark: Find out who is right

- In the context of radiometric insensitive match measures (local and global methods)
 - [Hirschmüller, PAMI09]

Color does not help



Remainder of this Talk

- Benchmark design:
 - Competing energy functions
 - Dissimilarity functions
 - Color spaces
 - Performance metrics
- Benchmark results:
 - Standard dissimilarity functions
 - Radiometric insensitive functions



Energy Function

 Quality of disparity map D measured by a standard energy function:

$$E(D) = \sum_{p \in I} m(p, d_p) + \sum_{< p, q > \in N} s(d_p, d_q)$$

Data Term:

- Measures pixel dissimilarities
- Evaluated in this paper

Smoothness Term:

- Measures amount of spatial smoothness



Energy Function

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- Modified Potts Model:

$$s(d_p, d_q) = \left\{ \begin{array}{l} 0 \quad \text{if} \quad dp = dq \\ P_1 \quad \text{if} \mid dp - dq \mid = 1 \\ P_2 \quad \text{if} \mid dp - dq \mid > 1 \end{array} \right.$$

P1 := P2 / 3
P2 is tuned individually for each energy function



Energy Function

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- Various competing implementations:
 - 4 dissimilarity functions
 - 9 color spaces
- Leads to 4 * 9 = 36 competing energy functions



Dissimilarity Functions

- Absolute difference of colors
 - Cannot handle radiometric distortions
 - Pixel-based
- Mutual Information (MI)
 - Handles radiometric distortions
 - Pixel-based
- Zero mean Normalized Cross-Correlation (NCC)
 - Handles radiometric distortions
 - Window-based
- Census
 - Handles radiometric distortions
 - Window-based



Dissimilarity Functions

- Absolute difference of colors
 - Cannot handle radiometric distortions

We incorporate color by

- Computing the dissimilarity function individually for each color channel
 - Summing up the values over the 3 channels

vvindow-based

Census

- Handles radiometric distortions
- Window-based



Color Spaces

- Primary systems:
 - RGB, XYZ;
- Luminance-chrominance systems:
 - *LUV*, *LAB*, *AC*₁*C*₂, *YC*₁*C*₂;
- Statistical independent component systems:
 - $I_1 I_2 I_3, H_1 H_2 H_3;$
- Use of intensity values only:

• Grey;

Name	Definition
Grey	I = 0.299R + 0.587G + 0.114B
XYZ	$\begin{pmatrix} X \\ Y \\ Z \end{pmatrix} = \begin{pmatrix} 0.607 & 0.174 & 0.200 \\ 0.299 & 0.587 & 0.114 \\ 0.000 & 0.066 & 1.116 \end{pmatrix} \begin{pmatrix} R \\ G \\ B \end{pmatrix}$
LUV	$L = \begin{cases} 116 (Y/Y_w)^{\frac{1}{3}} - 16 & \text{if } Y/Y_w > 0.01 \\ 903.3 Y/Y_w & \text{otherwise} \\ U = 13L(u' - u'_w) \text{ with } u' = \frac{4X}{X + 15Y + 3Z} \\ V = 13L(v' - v'_w) \text{ with } v' = \frac{9Y}{X + 15Y + 3Z} X_w, \\ Y_w, Z_w: \text{ white reference components} \end{cases}$
LAB	$A = 500(f(X/X_w) - f(Y/Y_w))$ $B = 200(f(Y/Y_w) - f(Z/Z_w))$ $f(x) = \begin{cases} x^{1/3} & \text{if } x > 0.008856 \\ 7.787x + \frac{16}{116} & \text{otherwise} \end{cases}$
AC_1C_2	$\begin{pmatrix} A \\ C_1 \\ C_2 \end{pmatrix} = \begin{pmatrix} \frac{1}{3} & \frac{1}{3} & \frac{1}{3} \\ \frac{\sqrt{3}}{2} & \frac{-\sqrt{3}}{2} & 0 \\ \frac{-1}{2} & \frac{-1}{2} & 1 \end{pmatrix} \begin{pmatrix} R \\ G \\ B \end{pmatrix}$
YC_1C_2	$\begin{pmatrix} Y \\ C_1 \\ C_2 \end{pmatrix} = \begin{pmatrix} \frac{1}{3} & \frac{1}{3} & \frac{1}{3} \\ 1 & \frac{-1}{2} & \frac{-1}{2} \\ 0 & \frac{-\sqrt{3}}{2} & \frac{\sqrt{3}}{2} \end{pmatrix} \begin{pmatrix} R \\ G \\ B \end{pmatrix}$
$I_{1}I_{2}I_{3}$	$\begin{pmatrix} I_1 \\ I_2 \\ I_3 \end{pmatrix} = \begin{pmatrix} \frac{1}{3} & \frac{1}{3} & \frac{1}{3} \\ \frac{1}{2} & 0 & \frac{-1}{2} \\ \frac{-1}{4} & \frac{-1}{4} & \frac{1}{2} \end{pmatrix} \begin{pmatrix} R \\ G \\ B \end{pmatrix}$
$H_1H_2H_3$	$\begin{pmatrix} H_1 \\ H_2 \\ H_3 \end{pmatrix} = \begin{pmatrix} 1 & 1 & 0 \\ 1 & -1 & 0 \\ \frac{-1}{2} & 0 & \frac{-1}{2} \end{pmatrix} \begin{pmatrix} R \\ G \\ B \end{pmatrix}$

(Conversion from RGB to other color spaces)



Energy Minimization

- Accomplished via Dynamic Programming (DP)
- DP is performed on simple tree structures [Bleyer,VISAPP09]:
 - Trees contain horizontal and vertical smoothness edges (scanline streaking problem)
- Simple method for occlusion handling







Error Metrics

- 3 error metrics to evaluate the quality of a disparity map:
 - 1. Percentage of wrong pixels in all regions
 - 2. Percentage of wrong pixels in **radiometric distorted** regions
 - 3. Percentage of wrong pixels in **radiometric clean** regions

Definitions:

- Wrong pixel means absolute disparity error > 1 (analogously to Middlebury)
- Radiometric distorted means a pixel has different intensity/color in left and right images
- When I say average error I mean the average error computed over all 30 test pairs



Error Metrics

 3 error metrics to evaluate the quality of a disparity map:

How can we extract radiometric distorted regions?

d regions gions

Definitions:

2.

3.

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Extraction of Radiometric Affected Regions

 Compute absolute intensity difference between corresponding pixels (Correct correspondences known from ground truth disparity data)



Moebius left image (new Middlebury set)



Ground truth data costs (bright pixels have high pixel dissimilarity)



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Radiometric distorted regions



Test Set



images showing radiometic distortions



Results





Absolute Differences as Dissimilarity Function



- Grey-scale matching nearly always performs worst.
- *LUV* performs better than *RGB*
- Identical to the results of [Bleyer, ISPR08]





Absolute Differences as Dissimilarity Function



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Where Does Color Help?



Color effectively improves performance in radiometric distorted regions.



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- The overall improvement is largely due to considerably improved performance in radiometric distorted regions.



Where Does Color Help?



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- The overall improvement is largely due to considerably improved performance in radiometric distorted regions.



Why Not Directly Using a Radiometric Insensitive Measure?



- ZNCC and Census considerably improve performance in radiometric distorted regions.
 - They are more effective than color in this respect



CENSUS

(Grey)

- ZNCC and Census considerably improve performance in radiometric distorted regions.
 - They are more effective than color in this respect

MI (Grey) NCC (Grey)

10

5

0

AbsDif

(Grey)

AbsDif

(LUV)

They even improve performance in radiometric clean regions.



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 - They are more effective than color in this respect
- They even improve performance in radiometric clean regions.
- ZNCC and Census improve the overall performance considerably
 - The overall error drops from 20.5% [Absdif (Grey)] to 6.7% [Census (Grey)] (!)



Why Not Directly Using a Radiometric Insensitive Measure?



- ZNCC and Census considerably improve performance in radiometric distorted regions.
 - They are more effective than color in this respect
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- ZNCC and Census improve the overall performance considerably
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Using Color with Radiometric Insensitive Measures



- Seems to be a bad idea:
 - Color even worsens results
- Why is it?
 - Increased robustness of color in radiometric regions is not important anymore
 - NCC and CENSUS do a better job
 - You practically do not lose texture when deleting color
 - Intensity is probably more robustly captured by nowadays cameras (less noise in the intensity channel)





Using Color with Radiometric Insensitive Measures



anymore

- NCC and CENSUS do a better job
- You practically do not lose texture when deleting color
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Conclusions

- Major argument for color is the increased robustness to radiometric distortions.
- This benefit is low considering that ZNCC and Census do a considerably better job in distorted regions.
- Do not use color in conjunction with ZNCC or Census.





Future work

- Check whether results generalize to other image sets
 - Currently only Middlebury used
- Test other optimization algorithms
 - We have done some preliminary tests with α-expansion and local optimization that confirm our results (not in the paper)
- Use other energy models
 - Second-order smoothness
 - More dissimilarity measures
- Incorporate segmentation-based aggregation schemes
 - Another step on the way to an "optimal" stereo data term



References

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